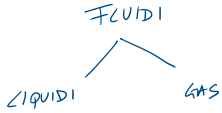
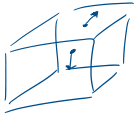


Lezione # 9  
 13/01/2022

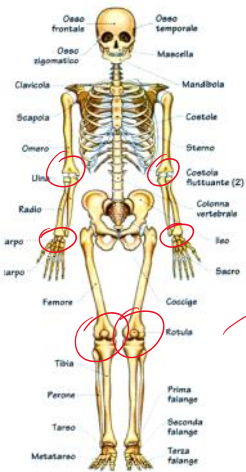
FLUIDI

STATO → AGGREGAZIONE MATERIA

↳ legami molecolari + deboli



	FORZA	VOLUME
SIST. RIGIDI	FISSA	FISSO
LIQUIDI	VARIABILE	"
GAS	"	VARIABILE



la sup. è maggiore

$$\vec{F} \rightarrow \left[ P = \frac{F_{\perp}}{A} \right] \begin{matrix} \text{Componente perpend.} \\ \text{della } \vec{F} \text{ sulla} \\ A \end{matrix}$$

$$[P] = \frac{N}{m^2} = 1 \text{ Pascal} = Pa$$

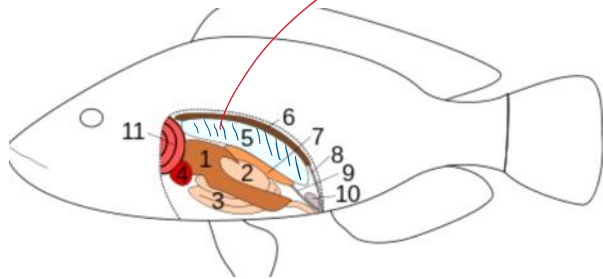


$$1 \text{ atm} = 1,03 \cdot 10^5 \text{ Pa}$$

$\boxed{m}$   $\rightarrow$  Densità (massa volumica)

$$\rho (\text{rho}) = \frac{m}{V}$$

Vescia natatoria  $\rightarrow V \uparrow \Rightarrow$  a parità di masse



$\Downarrow$   
 $\rho$  diminuisce  
 $\hookrightarrow$  galleggiare

$$\rho = \frac{m}{V} = \frac{\text{kg}}{\text{m}^3}$$

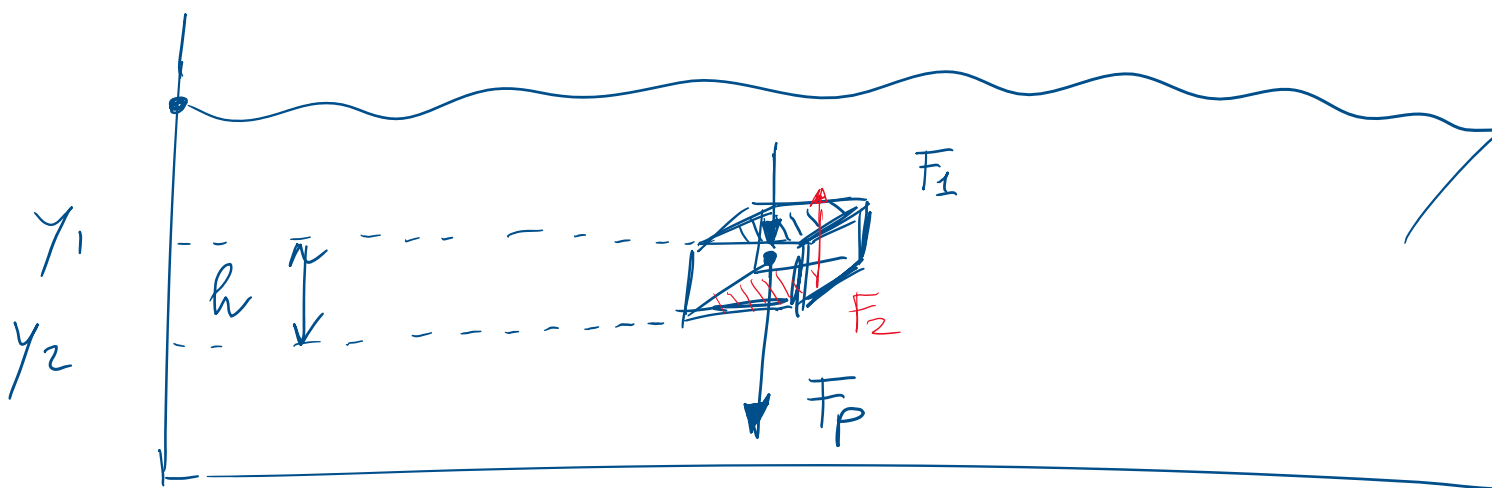
$$[\rho] = \text{kg}/\text{m}^3$$



$$\rho_{H_2O} = 10^3 \text{ kg/m}^3$$

Legge di Variazione di  $p$  al variare dell'altezza  
(liquido) / altezza (gas)

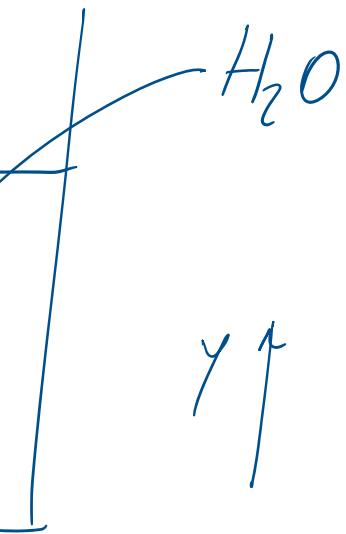
Dimostrazione nel caso di un liquido



$$(y_1 - y_2) = h$$

de profunditate

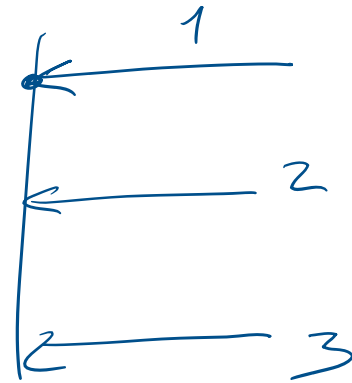
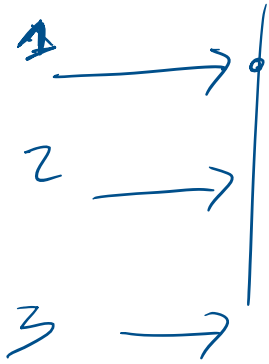
ido:



Centro  $\bar{e}$  in equilibrio:

$$F_y = -F_p -$$

lungo l'asse x:



$$F_x = 0 = 0$$



$$F_y = -F_p - F_1 +$$
  
$$-mg - F_1 +$$

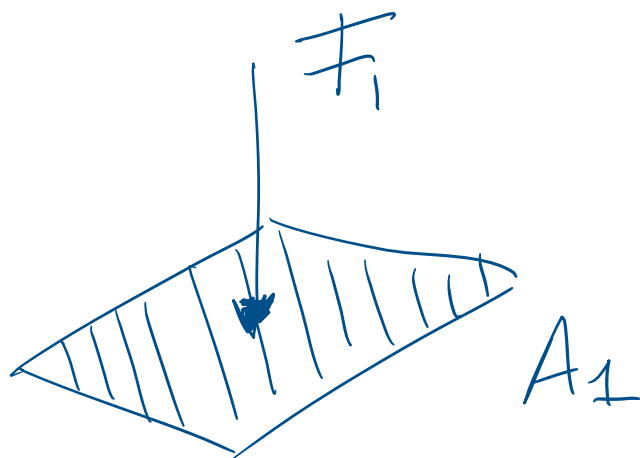
L

$$\vec{F}_1 + \vec{F}_2 = 0$$

$$\vec{F}_2 = 0$$

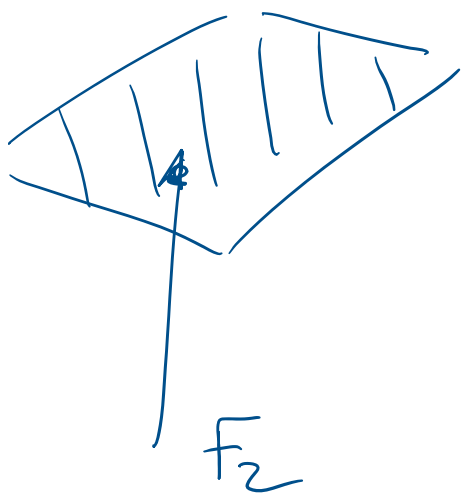
$$+\vec{F}_2 = 0$$





$$P_2 = \frac{F_1}{A_1}$$

$$F_1 = P_1 A_1$$



$$F_2 = P_2 A_2$$

$$-mg - P_1 A_1 + P_2 A_2 = 0$$



$$-\rho_{H_2O} V g - P_1 A_1 + P_2 A_2$$

↓

$$-\rho_{H_2O} (A h) g - P_1 A + P_2 A = 0$$

$h$  

$$P_2 = P_1 + \rho g h$$

$$P_1 = P_0 \quad \text{at level of the surface}$$

$$P_2 = P \quad \text{generic depth } h$$

$A_2$   
K  
A<sub>1</sub>

$$A_1 = A_2 = A$$

mare

ne este

profunditate

$$P = P_0 + \rho g h$$

Nei liquidi  $\left\{ \begin{array}{l} P \\ h \end{array} \right.$

Nei gas invece  $\left\{ \right.$

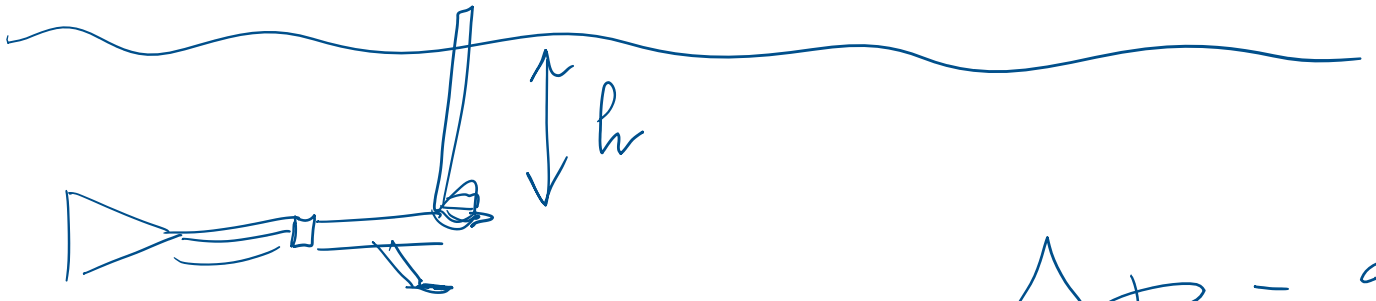
Esercizio (112)

→

0

$\mathcal{P} \rightarrow$

$h < 0$



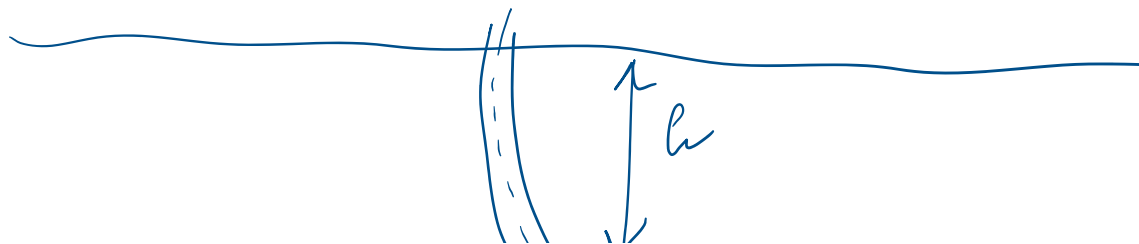
$$\Delta P = 9,3$$

massima differenza  
nell'uomo prima

$$\Delta P = (P - P_0)$$

$$\rho_{H_2O} = 10$$

Sapendo  $\Delta P$  quale è la profondità  
che si può raggiungere respirando aria  
compressa?



3k Pa

za sputate  
collasso/embolie

$3 \text{ kg/m}^3$

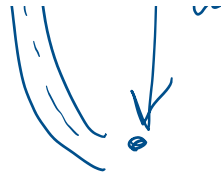
massima

de m

— P<sub>0</sub>

o A





$$P = P_0 + \rho g h$$

$$(P - P_0) = \rho g h$$

$$\Delta P = \rho g h$$

$$h = \frac{\Delta P}{\rho g}$$

$$h =$$

h ?

$$9,3 \cdot 10^3$$

---

$$10^3 \quad 9,81$$

$$h \approx 0,95 \text{ m} \approx 1 \text{ m}$$

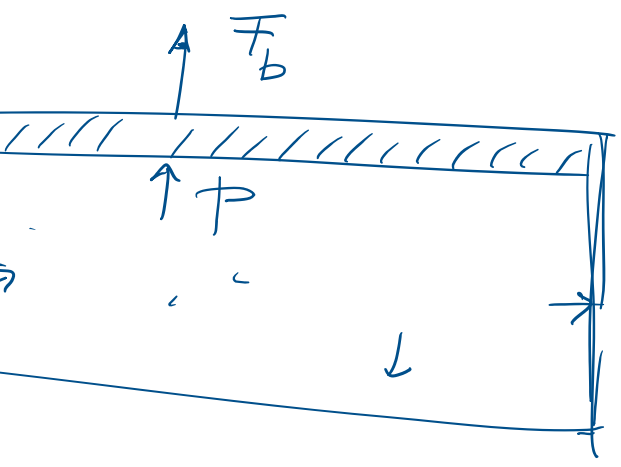
## PRINCIPIO DI PASCAL

IN UN FLUIDO CONFINATO UNA VARIAZIONE DI PRESSIONE SI TRASMETTE INALTERATA IN TUTTO IL FLUIDO E NELLE PARETI CHE LO CONTINGONO.



$$P = \frac{F_a}{A_a} = \frac{F_b}{A_b}$$

DI  
OGNI PARTE  
CONTE NGONO

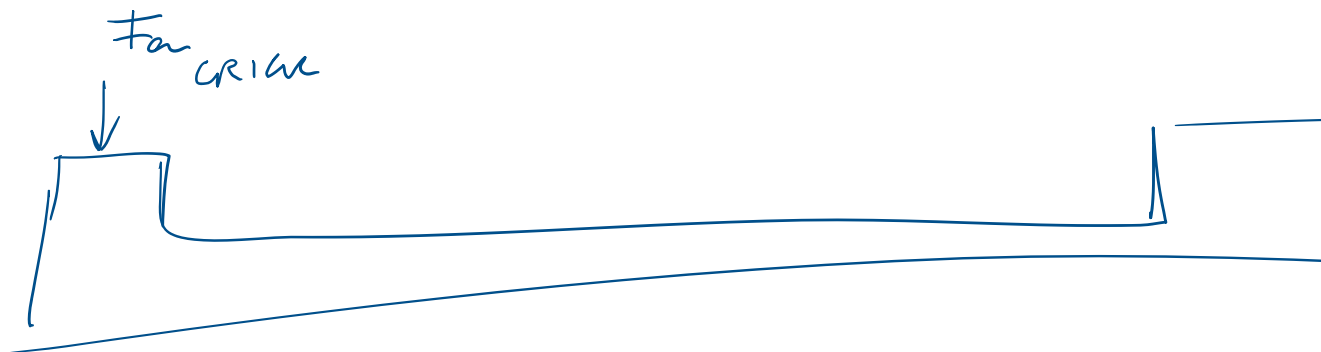


$$\frac{F_a}{A_a} = \frac{F_b}{A_b}$$

$$F_b = \frac{A_b}{A_a} F_a$$

Se  $A_b \gg A_a$  ad esempio  $A_b = 1000 A_a$

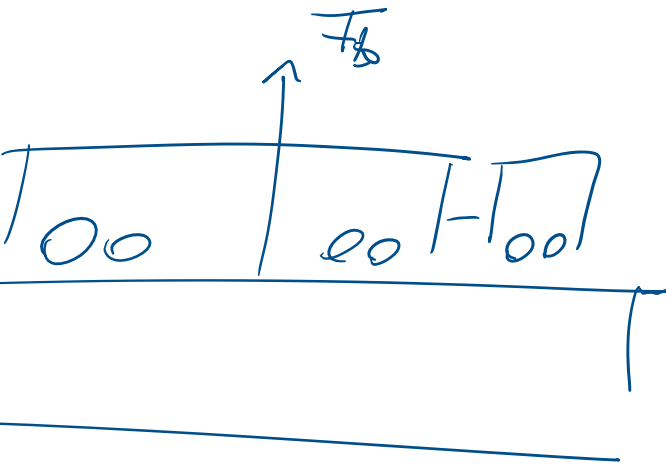
$$\Rightarrow F_b = \frac{1000 A_a}{A_a} F_a$$

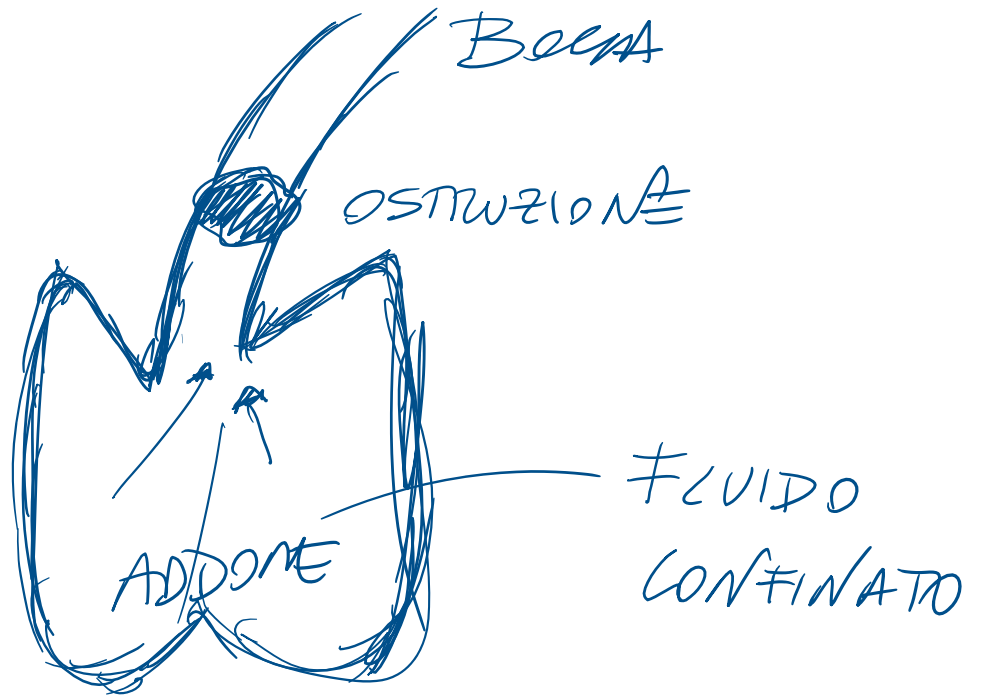


MANFORA di HEIMLICH



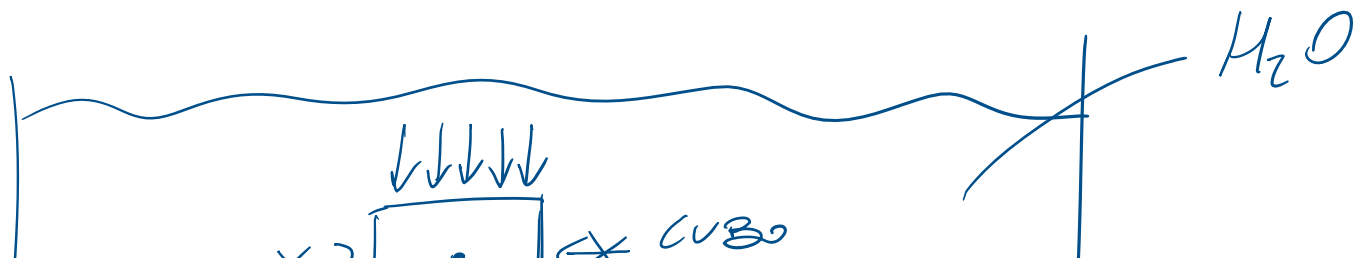
$$F_b = 1000 F_a$$





## SPINTA DI ARCHIMEDE

Un corpo immerso in un fluido riceve dal basso verso l'alto applicato al centro un'azione uguale al peso del volume di fluido

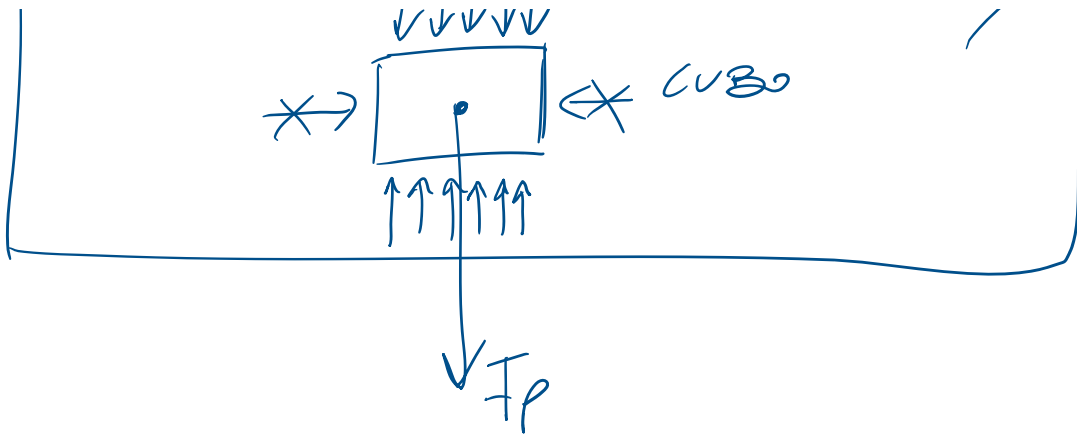


ma spinta

ed è

svolto





$$-F_p - \underbrace{F_1 + F_2}_{F_s} = 0$$

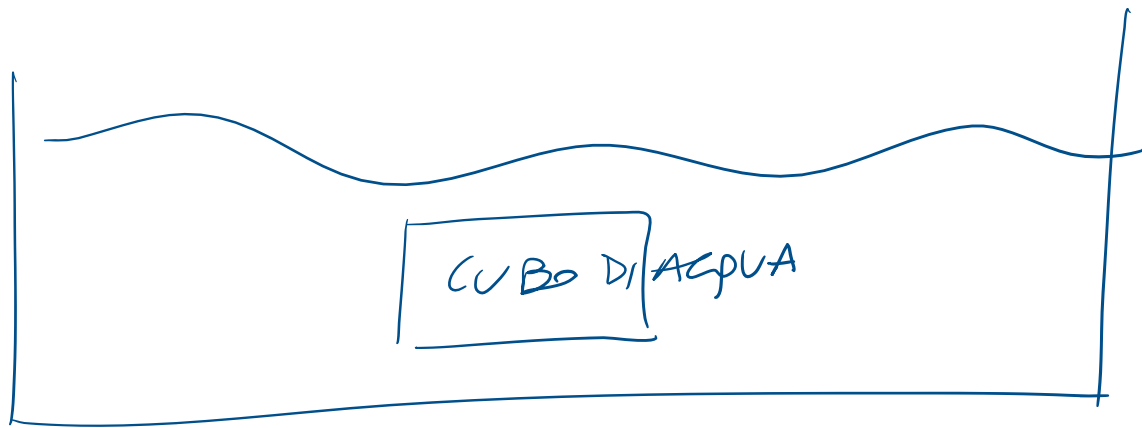
$F_s$  = spinta di Archimede

Affidiamo l'oggetto sia in equilibrio:

$$-F_p + F_s = 0$$

$$F_s = F_p = mg = \underbrace{\int_{F_{cv}}}$$

100 ✓ g



Quando galleggia?

$$F_P = F_S \quad (\text{in equilibrio})$$

oppure

$$F_P < F_S \quad (F_S \text{ vince})$$

oggetto

$$F_P > F_S \quad (\text{oggetto})$$

equilibrio)

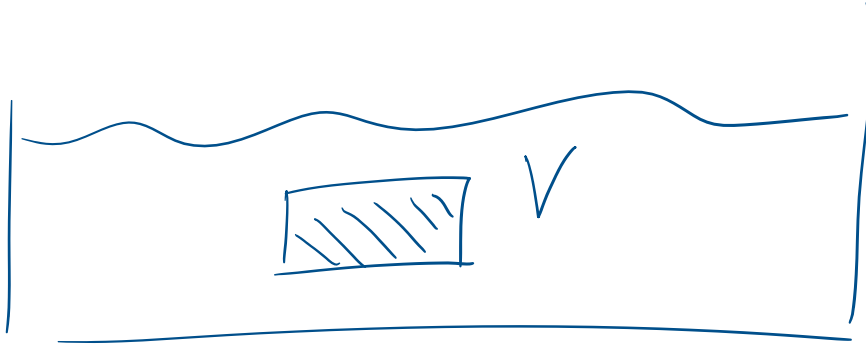
UE su  $F_p$

sale verso

l'alto)

affonda)

Condizione su galleggiamento:



$$F_P =$$

$$m_{\text{liquido}} g =$$

$$\rho_{\text{liquido}} V_{\text{immerso}} g = \rho_F V_{\text{immerso}} g$$

Condizione affinché galleggi:

$\overline{F_s}$

$\rho_F V_I g$   
↑

V IMMERSO

$$P_{\text{UENO}} = P_F$$

In per un oggetto di  $P_0$

$$P_0 = P_F$$

Se  $P_0 < P_F$  l'oggetto

colle verso  
l'alto